

RAMAN SIGNATURE OF BONDING AND DISORDER IN CARBONS

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ABSTRACT

The factors controlling the position and intensity of the G and D peaks of the Raman spectra of disordered and amorphous carbons are separated in terms of a 3-stage model. The Raman spectra are shown to depend fundamentally on the degree of ordering of the sp^2 sites, and only weakly or indirectly on the fraction of sp^3 sites. Three factors control the G and D peaks; the perfection of graphitic order, replacing aromatic rings with olefinic chains and increasing the sp^2 content. These rules allow us to state when the G peak position can be related reliably to sp^3 content.

INTRODUCTION

Raman spectroscopy is widely used to characterise the microstructure of disordered graphite, amorphous carbon (a-C) and hydrogenated amorphous carbon (a-C:H)[1-5]. The bonding in the various types of a-C and a-C:H is defined in terms of their hydrogen content and fraction of sp^3 bonding [6], as shown in Fig. 1. The key property of interest in a-C(:H) is the sp^3 fraction. However, the usual methods to find sp^3 content, NMR and electron energy loss spectroscopy (EELS), are time consuming so it would be very valuable to be able to use a rapid, non-destructive technique like Raman to derive the sp^3 content.

THEORY

The Raman spectra of amorphous carbons for visible excitation are usually dominated by the features of graphitic carbon, the G peak around 1580 cm^{-1} and the D mode around 1350 cm^{-1} . This is because visible Raman is 50-230 times more sensitive to sp^2 sites than sp^3 sites, because visible photons preferentially excite their π states, and even highly sp^3 a-C still contains over 10% sp^2 sites. This means, as we show, that visible Raman is sensitive principally to the degree of order of the sp^2 sites, and less sensitive to the fraction of sp^3 bonding.

The bonding in disordered carbons consists of the σ bonds of sp^3 and sp^2 sites and the π bonds of sp^2 sites [6]. The nature of σ and π bonds are different: σ bonds are nearest-neighbor, 2-center, short-range bonds which fix the C-C skeleton of the

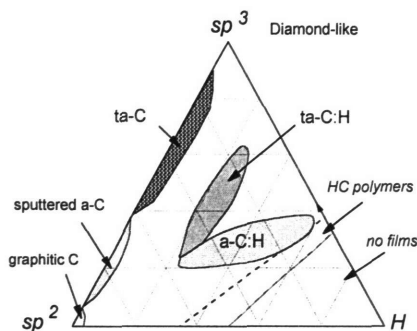


Fig. 1. Ternary phase diagram of sp^3 and hydrogen contents of various forms of diamond-like carbon.

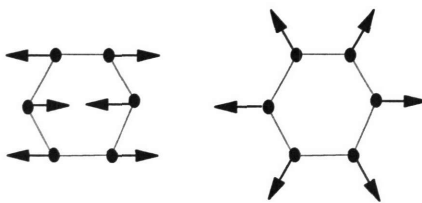


Fig. 2. G and D modes.

lattice, while π bonds are multi-center conjugated bonds giving rise to longer range forces. These longer range forces can favor sp^2 sites arranging into graphitic clusters [6].

The G mode is a bond stretching vibration of a pair of sp^2 sites, and occurs whether the sp^2 sites are arranged as olefinic chains or aromatic rings (Fig. 2). The D mode is an A_{1g} breathing vibration of a 6-fold aromatic rings, which is activated by disorder [1]. It occurs only when sp^2 sites are in aromatic rings.

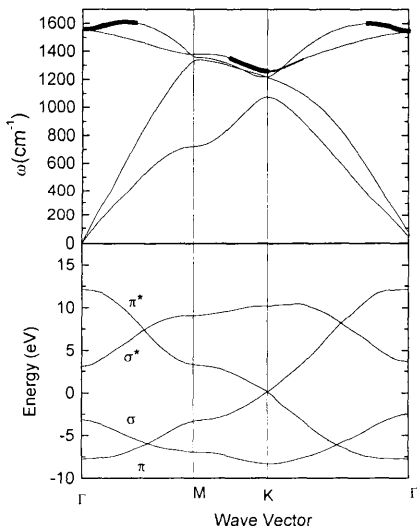


Fig. 3. Phonon dispersions and band structure of graphite sheet [8,12].

Raman scattering is the inelastic scattering of a photon by a phonon due to the change in polarisability associated with that phonon mode. In a perfect crystal, the difference in energies of photons and phonons creates a $q=0$ selection rule. For microcrystalline systems with grain size L , the selection rule is relaxed to allow phonons of wavevector within $\Delta q=1/L$ of the zone center Γ to participate. For amorphous systems like a-Si, $\Delta q \approx 1/(\text{bond length})$, and all phonons are allowed [7]. The Raman intensity is then the product of the Raman matrix element C , the vibration density of states G and the Bose occupation factor $n+1$,

$$I(\omega) = \frac{n(\omega) + 1}{\omega} \cdot C(\omega)G(\omega).$$

The visible Raman spectra of disordered carbon is different for 2 reasons. Firstly, visible photons of energy 2-2.5 eV can only excite π states, and for graphite they can only excite π states over a relatively narrow part of the zone around the K point [9,10]. Photons of energy E resonantly excite electron states of wavevector k whose π - π^* band gap is $E(k)$, Fig. 3. This creates a polarisation wave of wavevector k . Secondly, π states have a long-range polarisability so that this polarisation wave couples strongly to Raman-active breathing modes with a wavevector $q=k$ on the phonon dispersion curve (Fig. 3)[11,12]. This behaviour causes resonant enhancement of sp^2 breathing modes such as the D modes, and means that the matrix element $C(\omega)$ has a much stronger influence than the density of states (DOS) $G(\omega)$ on the visible Raman spectrum. This resonance and $q=k$ selection rule causes the D peak to disperse with changing photon energy [13].

Nanocrystalline graphite and a-C containing graphitic clusters behave in the same way because the electronic and vibrational modes of graphitic clusters can be folded onto a graphite lattice, as in a superlattice [11,12].

THREE-STAGE MODEL

We have found that the behaviour of Raman spectra in all types of microcrystalline and amorphous carbons can be classified using a 3-stage model [11]. The three stages of increasing amorphorisation are

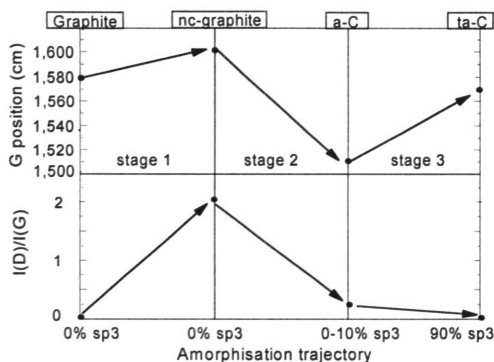


Fig. 4. Schematic variation of the G position and $I(D)/I(G)$ ratio during the 3 stages.

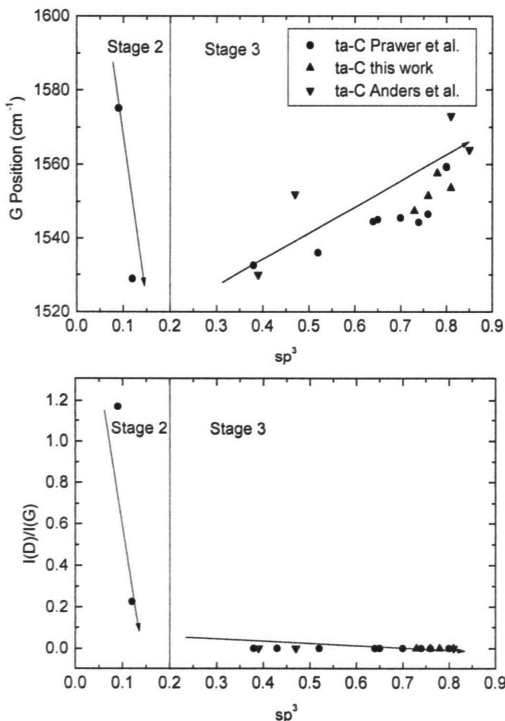


Fig. 5. Variation of G position and $I(D)/I(G)$ for as-deposited ta-C [18-20].

When the cluster size falls below 1-2 nm, its internal disorder increases and the D intensity falls. The G peak maintains its intensity because it arises from all sp^2 stretching modes. Thus, $I(D)/I(G)$ falls. We propose that $I(D)/I(G)$ varies with the number of ordered rings M , and so $I(D)/I(G)$ varies as

(1) graphite to nanocrystalline (nc-) graphite,
(2) nc-graphite to sp^2 a-C,
(3) sp^2 a-C to sp^3 ta-C.
Highly sp^3 bonded a-C is referred to as tetrahedral amorphous carbon (ta-C). The G position and ratio of D to G peak intensities, $I(D)/I(G)$, vary as shown schematically in Fig. 4.

Stage 1 corresponds to a loss of q selection within the VDOS of perfect graphite, due to a decrease of in-plane correlation length or grain size L_a . The main effects on the spectrum are; (a) a new sub-peak D' appears at 1600 cm^{-1} , causing the G peak to shift upwards from 1580 cm^{-1} to 1600 cm^{-1} ; (b) the D peak intensity increases inversely with L_a according to the well-known Tuinstra-Koenig relation [1],

$$I(D)/I(G) = B(\lambda)/L_a.$$

On the other hand, there is no dispersion of the G position with λ , the laser wavelength.

Stage 2 corresponds to a loss of graphitic ordering, as nc-C is topologically disordered to give a-C by introducing 5,7,8-fold rings and other sp^2 bonding configurations. The VDOS softens from that of graphite due to bond disorder. The end of stage 2 corresponds to sputtered sp^2 a-C [14]. The main effects on the Raman spectra are (a) the G peak decreases from 1600 cm^{-1} to 1510 cm^{-1} ; (b) TK breaks down as $I(D)$ decreases towards 0; (c) the G peak disperses. TK breaks down because the D peak is due to the correlated breathing of 6-fold rings.

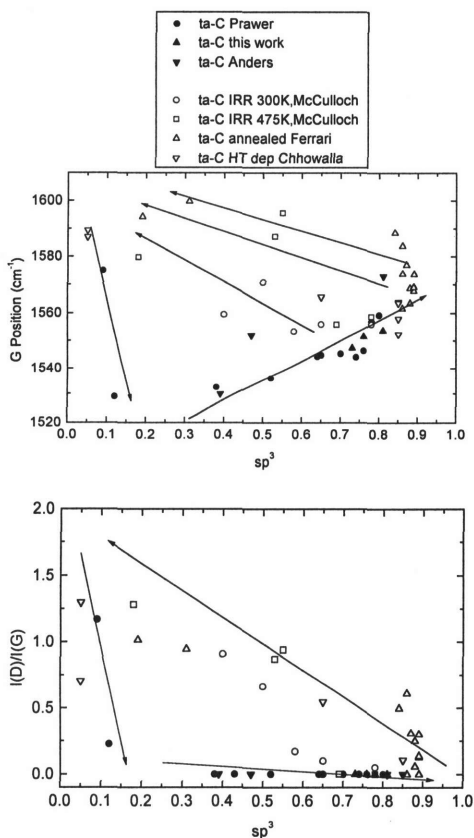


Fig. 6. G position and I(D)/I(G) ratio versus sp^3 during annealing, showing hysteresis.

lowers G, changing aromatic rings to olefinic chains raises G, while mixing with sp^3 modes tends to lower G. A unique behavior is possible if conditions lock the changes of sp^2 ordering and sp^3 fraction together. However, this is not always true. During for example thermal annealing of ta-C, existing sp^2 sites begin to cluster and only at much higher temperatures do sp^3 sites convert into more sp^2 sites [19]. Such behavior causes a non-uniqueness or *hysteresis* in the dependence of Raman parameters on sp^3 content, as shown in Fig. 6. This non-uniqueness restricts the situations where the sp^3 fraction of a-C can be safely derived from visible Raman spectra.

HYDROGENATED AMORPHOUS CARBON

The sp^3 fraction can be derived from visible Raman spectra for a-C:H deposited at room temperature by reactive sputtering or plasma enhanced chemical vapour deposition (PECVD). The main effect of hydrogen in the a-C:H network is to saturate C=C bonds by converting them to sp^3 CH_x groups. It does not particularly increase the fraction of sp^3 C-C bonds. There are three bonding regimes in a-C:H as a function of

$$I(D)/I(G) = B' \cdot L_a^2.$$

A good example of stage 2 is the amorphisation of glassy carbon by irradiation [15]. Note that through the three stages, the development of the D peak indicates the disordering of graphite, but the ordering of a-C.

Stage 3 arises from the breaking up of the sp^2 clusters as the sp^3 content increases from ~10% towards 100%. The sp^2 sites change first from rings to olefinic chains, and then to increasingly short chains [16,17]. C=C chains have a shorter bond length than aromatic rings, so they have higher vibration frequencies of up to 1650 cm⁻¹. The main effects on the Raman spectra are (a) the G peak rises towards 1570 cm⁻¹, and (b) I(D) ≈ 0. A good example of stage 3 is as-deposited ta-C formed with a range of ion energies to vary its sp^3 content [18](Fig. 5). Note that the high G position in ta-C is not due to high stress, as has been proposed [20]

The G peak is influenced by four factors in stages 2 and 3; disorder softens the VDOS and

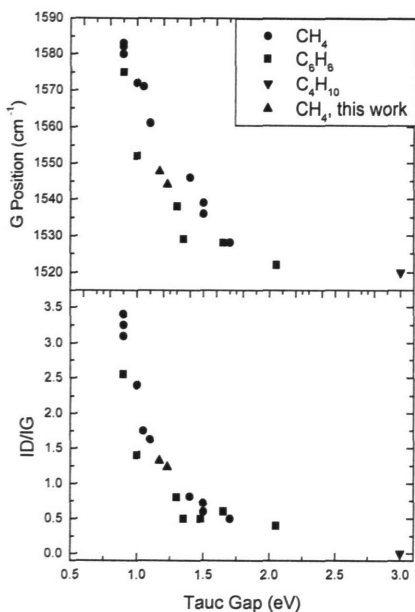


Fig. 7. G position and $I(D)/I(G)$ vs optical gap for a-C:H [5]

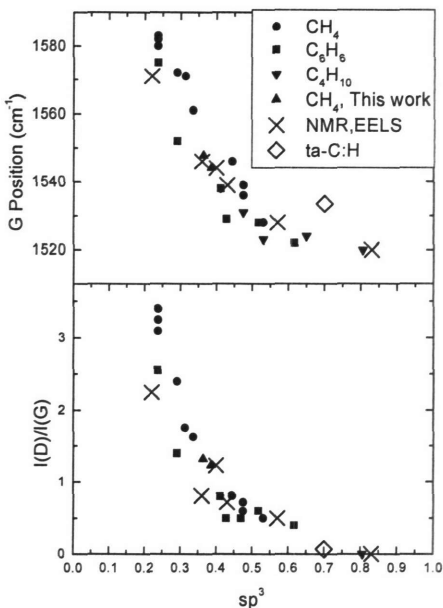


Fig. 8. G position and $I(D)/I(G)$ vs sp^3 fraction.

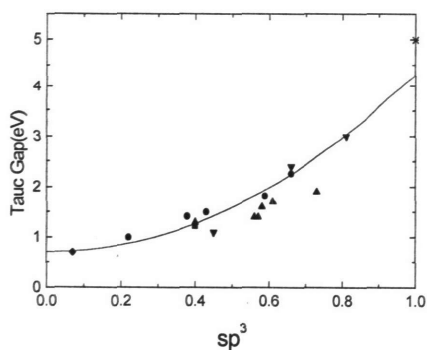


Fig. 9. Variation of optical gap with sp^2 fraction, for a-C:H [23].

is validated by NMR and EELS data where available [24], as shown in the Figure. Here, the G peak falls with increasing sp^3 fraction. This is the opposite of what happens in ta-C. There is G peak dispersion, so the dependence on sp^3 fraction becomes weaker for higher photon energies.

The hydrogenated analogue of ta-C, ta-C:H is made by deposition from high plasma density sources [25]. These have a higher fraction of C-C sp^3 bonding. Their

H content [6,22]; (a) at low H content, the bonding is mainly sp^2 , (b) at intermediate H content, the bonding has its maximum diamond-like quality, the density is highest and the optical gap is 1 to 1.8 eV, and (c) at high H content, the bonding is mainly polymeric CH_x with an optical gap over 1.8 eV [6,22].

The optical gap depends on the ordering of sp^2 sites [8]. The ordering of sp^2 sites is linked to the sp^2/sp^3 fraction; Fig. 9 shows how the optical gap depends almost uniquely on sp^2 fraction [23]. Fig. 7 shows the variation of G position with optical gap, found by Tamor and Vassell [5]. The two variations allow us to derive a correlation between sp^3 content and G position, as shown in Fig. 8. This is

sp^2 order resembles that in ta-C, with more short C=C olefinic chains. This leads to a higher G position, for a given sp^3 content compared to its position in a-C:H, as seen in Fig. 8.

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