

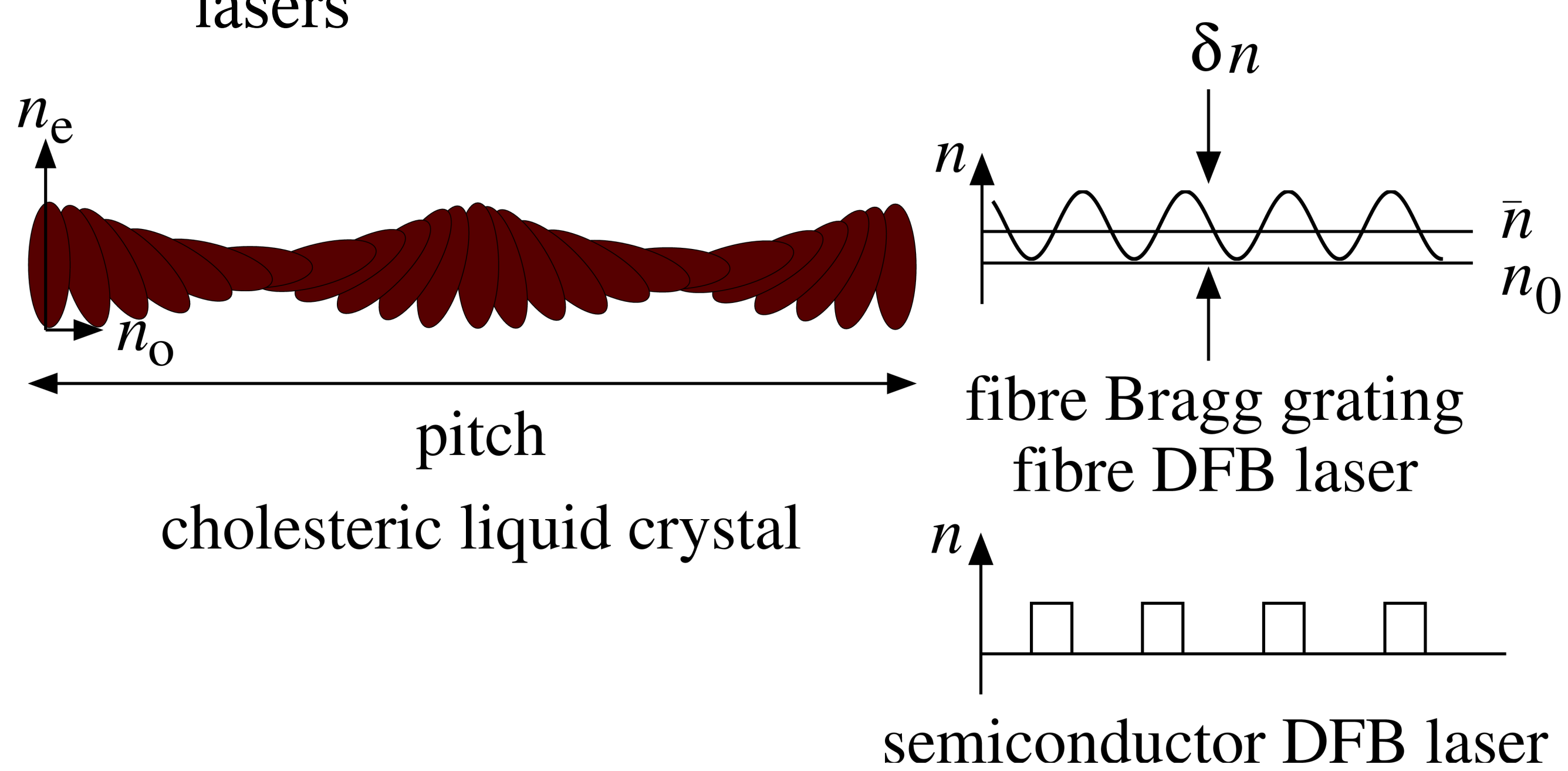
# Modelling of Liquid Crystal Lasers

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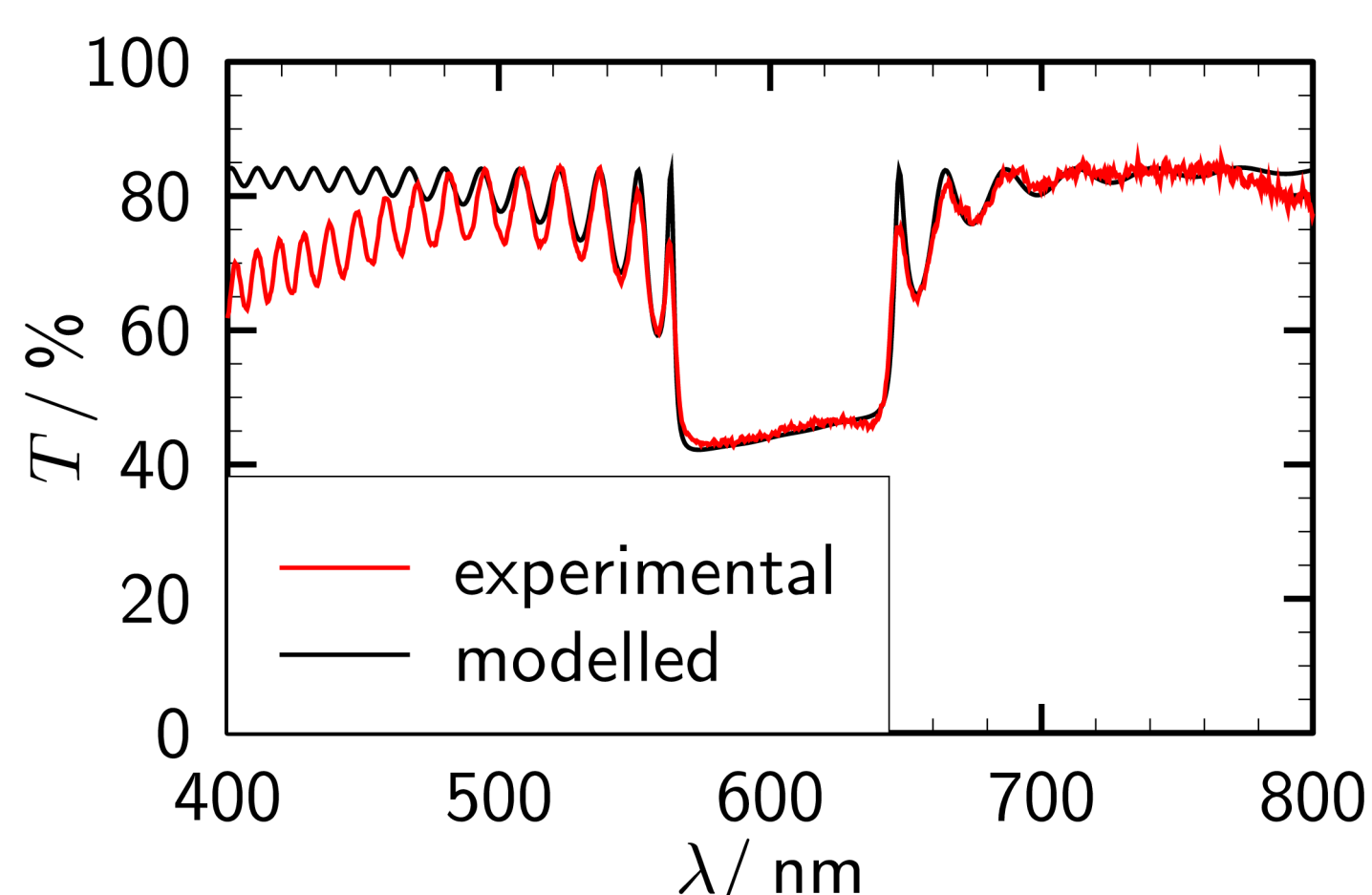
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## Liquid Crystal lasers are distributed feedback (DFB) lasers

- Chiral birefringent structure similar to index modulation in semiconductor and fibre DFB lasers



- Bandgap for light of one circular polarisation



**Fig. 1** Transmission spectrum of chiral LC measured with linear polarised light. Modelled spectrum calculated with transfer matrix approach.

- Access to a vast amount of theory and device designs from semiconductor and fibre DFB lasers

- Coupled mode theory
- Analytic solutions or transfer matrices

- ⇒ identify possible routes to improve LC lasers and achieve cw operation through different laser designs and gain materials

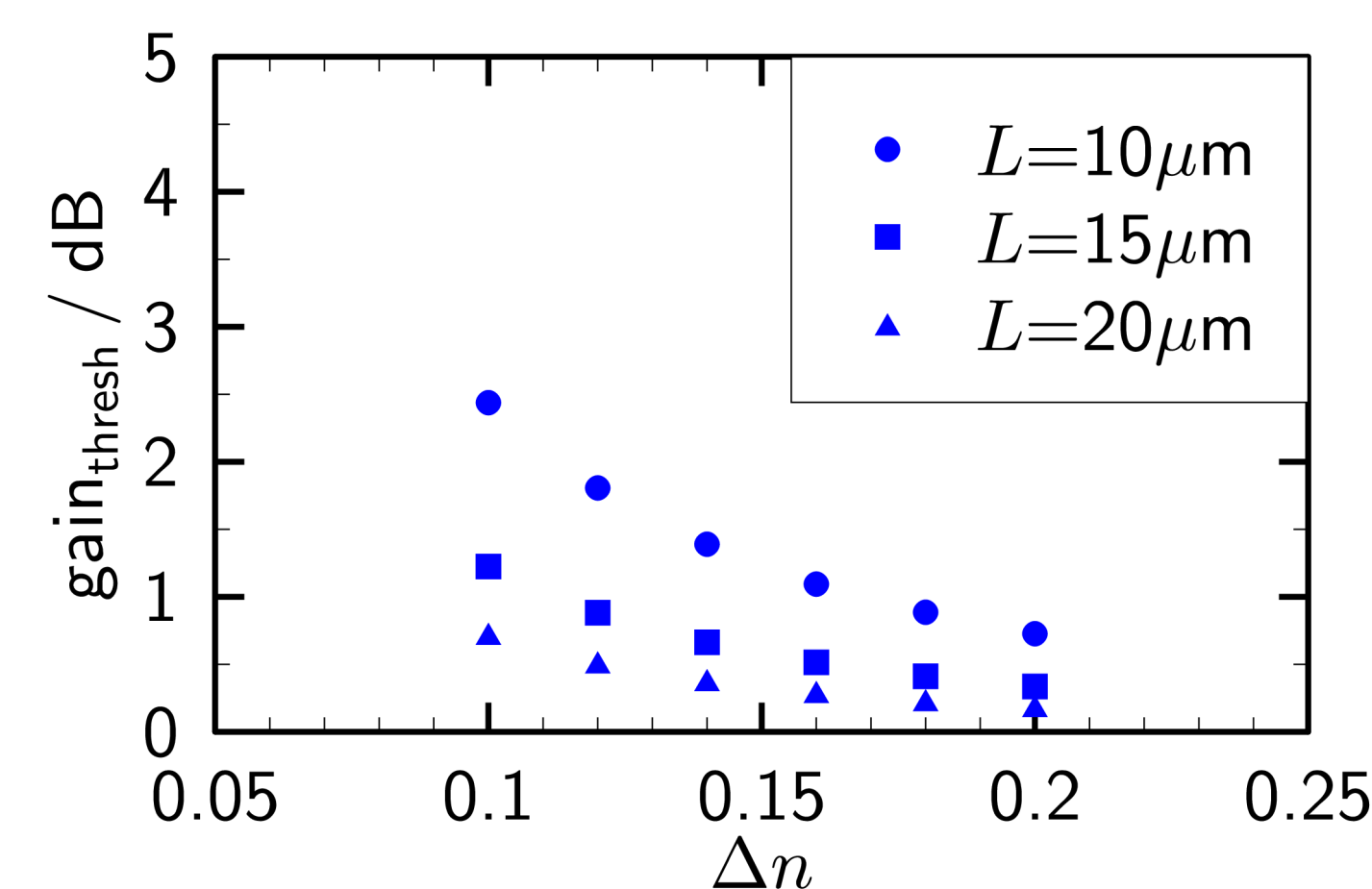
## Coupled mode theory and transfer matrices applied to liquid crystal lasers

- Two counter propagating waves  $R$  and  $S$  coupled by scattering from chiral LC structure

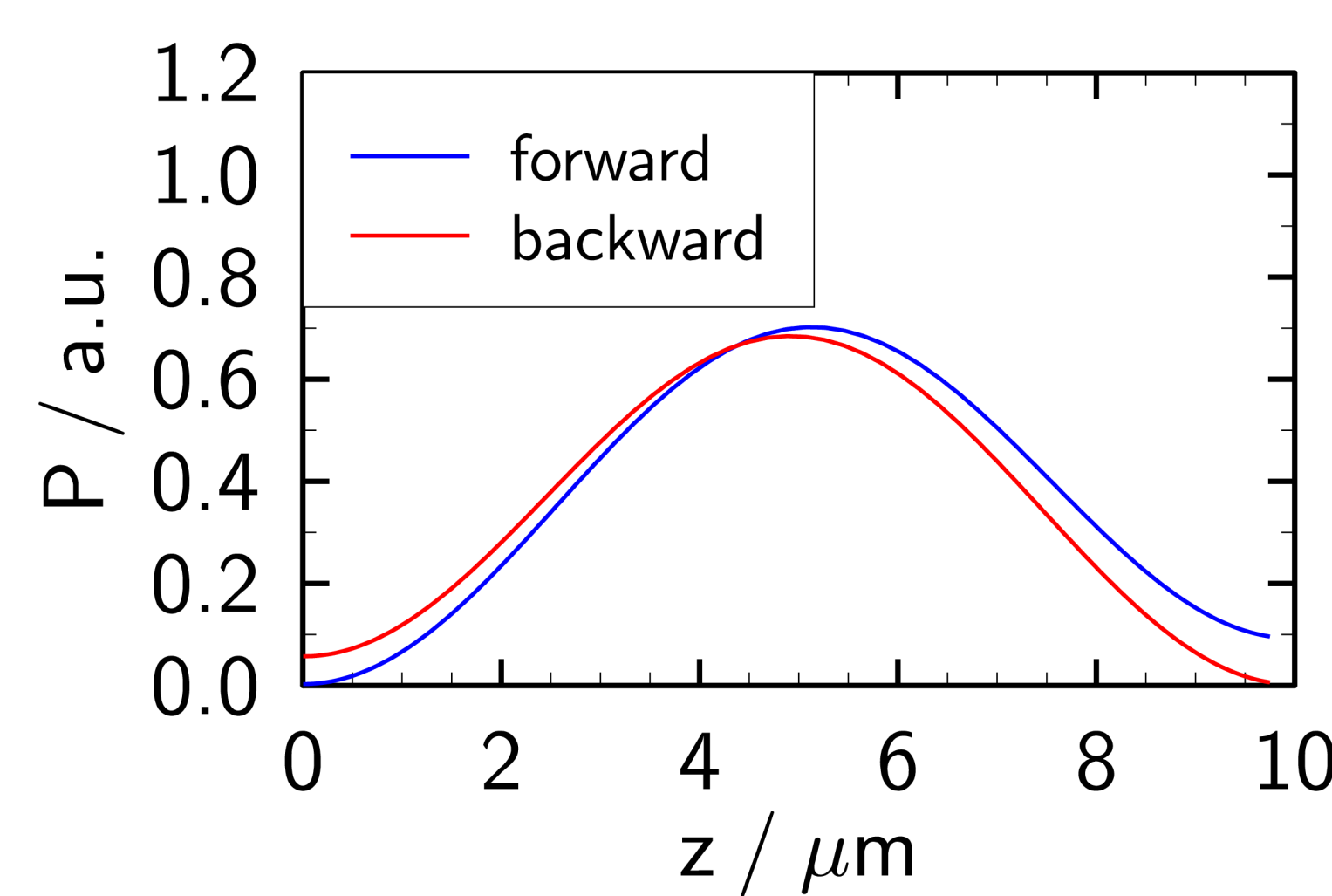
$$\frac{dR}{dz} = (\alpha + i\delta)R + i\kappa S$$

$$\frac{dS}{dz} = -(\alpha + i\delta)S - i\kappa^* R$$

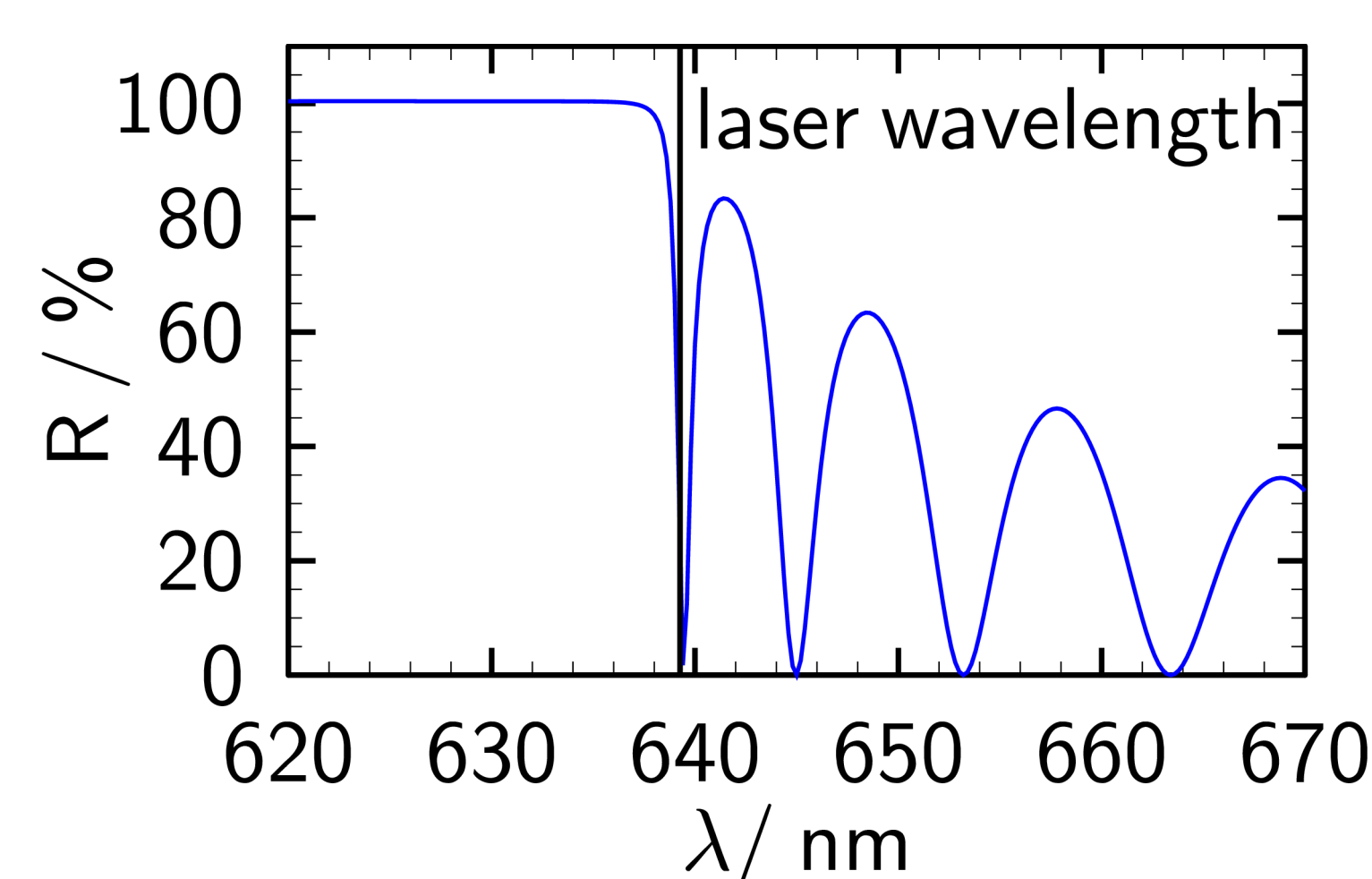
$\alpha$  = amplitude gain,  $\delta$  = wavelength detuning,  $\kappa$  = coupling coefficient



**Fig. 2** Required threshold gain for LC with different birefringence and length. This gain has to be obtained over a few  $\mu\text{m}$ !



**Fig. 3** Internal power along CLC laser just above threshold.  $L = 9.75\mu\text{m}$ . Calculated using transfer matrices. Large concentration of lasing power at centre of device  $\Rightarrow$  internal heating.



**Fig. 4** Lasing wavelength in relation to reflection spectrum. Lasing occurs near the null in the spectrum.

**Further reading:**

O. Hadeler et al., 33rd Topical Meeting of Liquid Crystals, Paderborn, Germany, P35 (2005)  
 D.-K. Yang and X.-D. Mi, J. Phys. D **33** pp. 672 (2000)  
 H. Kogelnik and C.V. Shank, J. Appl. Phys. **43** pp. 2327 (1972)

